# Kranc: Automatic Code Generation for the Cactus Framework

Erik Schnetter, Ian Hinder Baton Rouge, March 2008







### KRanc Assembles Numerical Code

- Idea/dream: Input equations in a natural manner, turn the crank, output computer code ready to run on big machines
- Original goal: Analyse different formulations of the Einstein equations
- Originally developed 2002 by Sascha Husa (AEI), Christiane Lechner (AEI), lan Hinder (Soton/PSU)



#### Kranc Overview

- Written in Mathematica, and input equations in Mathematica
- Directly generate complete Cactus thorns, using standard Cactus toolkits
- Handle tensor expressions in abstract index notation
- Discretisation via finite differences







- Framework for HPC: code development, simulation control, analysis
- Manage increased complexity with higher level abstractions, e.g. for inter-node communication, intra-node parallelisation
- Active user community, 10+ years old
- Supports collaborative development

0000101000



#### Cactus Framework

parallelism

memory management

I/O

**SOR** solver

your computational tools

multigrid

interpolation

reduction

extensible APIs

ANSI C

parameters

01001010101

schedule

grid variables

make system

error handling

coordinates

boundary conditions

**AMR** 

**CFD** 

wave equation

Einstein equations

your physics

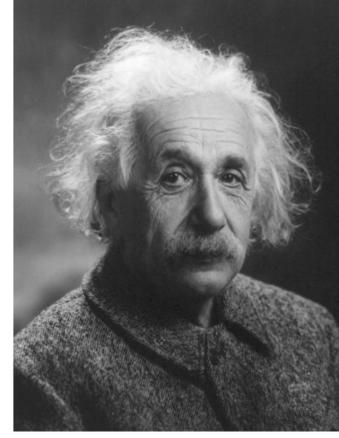
remote steering

Core flesh with plug-in thorns





#### Einstein Equations



- 1915: General Relativity
- 10 coupled non-linear wave equations
- If written out explicitly, thousands of terms
- Can be written as hyperbolic PDE plus elliptic constraint equations ("3+1")
- If done naively, PDE are ill-posed





#### Example: McLachlan

- Einstein code implemented with Kranc
- I,000 lines of Mathematica (short!)
   (generating 10k lines, replacing 25k lines)
- Implemented in two weeks (short!)
- Main problem: "read" equations in papers ("reading" requires unspecified context knowledge!)



#### Example Input

```
initialCalc =  \{ \\ Name -> "ML\_ADM\_Minkowski", \\ Schedule -> \{"IN ADMBase\_InitialData"\}, \\ ConditionalOnKeyword -> \{"my\_initial\_data", "Minkowski"\}, \\ Equations -> \\ \{ \\ g[la,lb] -> KD[la,lb], \\ K[la,lb] -> 0, \\ alpha -> 1, \\ beta[ua] -> 0 \\ \beta^a = 0
```

### Most simple routine in McLachlan: Flat spacetime ADM initial data





#### Example Output (C Code)

```
/* Loop over the grid points */
Pragma ("omp parallel")
LC LOOP3 (ML ADM Minkowski,
         i,j,k, min[0],min[1],min[2], max[0],max[1],max[2],
         cctk lsh[0],cctk lsh[1],cctk lsh[2])
 index = CCTK GFINDEX3D(cctkGH,i,j,k);
  /* Calculate temporaries and grid functions */
  q11L = 1;
  q12L = 0;
  q13L = 0;
  q22L = 1;
  q23L = 0;
  q33L = 1;
  K11L = 0;
  K12L = 0;
  K13L = 0;
  K22L = 0;
  K23L = 0;
  K33L = 0;
  alphaL = 1;
  betalL = 0;
  beta2L = 0;
  beta3L = 0;
```

```
/* Copy local copies back to grid functions */
  alpha[index] = alphaL;
  beta1[index] = beta1L;
  beta2[index] = beta2L;
  beta3[index] = beta3L;
  q11[index] = q11L;
  q12[index] = q12L;
  q13[index] = q13L;
  g22[index] = g22L;
  q23[index] = q23L;
  q33[index] = q33L;
  K11[index] = K11L;
  K12[index] = K12L;
  K13[index] = K13L;
  K22[index] = K22L;
  K23[index] = K23L;
  K33[index] = K33L;
LC ENDLOOP3 (ML ADM_Minkowski);
```

Tensor indices have been expanded, loop over grid points has been added. Not shown: finite difference macros, Cactus interface declarations.





### Original Kranc Design Considerations

- Equations should be input in a "natural manner", i.e., in a way in which people already write them (Mathematica!)
- It must be easy to modify the equations and generate new code – no manual tinkering
- The resulting code must be fast, on par with hand-written code





### Current Kranc Design Considerations

- Well-posed formulations are now known (still many interesting mathematical aspects)
- As large simulations become common, proper experimental methods ("lab books") have become important
- Surprisingly, HPC hardware architecture has begun to change dramatically



## Provenance, Correctness, Believability

- Large simulation cannot be repeated; they are experiments, not calculations
- Can test continuum equations in Mathematica before discretisation
- Can add "annotators" to generated code
- Automatically generated code is more likely to be correct





#### Higher Performance

- Fact: These days, compiled code is faster than assembler
- Surmise: These days, automatically generated code is faster than hand-written code
- Code can be automatically restructured, transformed, adapted to new programming models, far better than the average programmer would



#### Debugging, Profiling

- Aspect oriented programming: Modify certain patterns (not just certain places)
- For example, "Check each assignment statement for NaN"
- Can insert annotations describing the code (performance statistics)
- Can give hints to run-time system



#### Summary

- Kranc generates code, directly from Mathematica to supercomputers
- Beside the obvious (ease of programming, correctness):
  - high level code can be more efficient
  - high level code is future proof
- Everybody in the community uses some kind of code generator





#### Further Information

- Kranc on the web: http://numrel.aei.mpg.de/Research/Kranc/
- Development tree: http://www.aei.mpg.de/~ianhin/kranc.git
- XiRel, Cyberinfrastructure for Numerical Relativity:
  - http://www.cct.lsu.edu/xirel/